

Article

probFunCal: A webpage calculator for probability distribution functions

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Abstract

In present study, a calculator, probFunCal, was developed for calculating probability distributions. In the calculator, probability distributions as normal distribution, t distribution, χ^2 distribution, F distribution, etc., were available for use. Probability density function, cumulative distribution function, and inverse cumulative distribution function of these probability distributions can be calculated. The calculator is web browser based that includes both online and offline versions and can be used on various computing devices (PCs, iPads, smartphones, etc.), operating systems (Windows, Mac, Android, Harmony, etc.) and web browsers (Chrome, Firefox, etc.).

Keywords calculator; web application; JavaScript; probability distribution; probability density function; cumulative distribution function; inverse cumulative distribution function; normal distribution; t distribution; F distribution; χ^2 distribution.

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1 Introduction

In an earlier study, the Matlab calculator, probTable, was developed (Zhang, 2025). In probTable, probability distributions as normal distribution, t distribution, F distribution, χ^2 distribution, Weibull distribution, lognormal distribution, binomial distribution, Poisson distribution, negative binomial distribution, and uniform distribution, etc., were available for use, and probability density function, cumulative distribution function, and inverse cumulative distribution function of these probability distributions can be calculated. However, it was the standalone software based on Matlab. In another study, a calculator, probDistriCal, was developed for probability distributions (Zhang and Qi, 2025). However, it can only calculate the probability for a known probability distribution.

In present study, I developed a calculator, probFunCal, for calculating probability distribution functions. In the calculator, probability distributions as normal distribution, t distribution, χ^2 distribution, F distribution, etc., were available for use. Probability density function, cumulative distribution function, and inverse cumulative distribution function of these probability distributions can be calculated. The calculator is web browser based

which includes both online and offline versions and can be used on various computing devices and web browsers.

2 Probability Distributions

There is a random variable X , and x is a value of X . Assume that the probability density function of X is $f(x)$. The often used probability distributions are described as follows (Zhang, 2025; Zhang and Qi, 2025).

(1) Normal distribution $N(\mu, \sigma)$

$$f(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

where μ : mean, σ : standard deviation, $\sigma > 0$. In the standard normal distribution $N(0, 1)$, $\mu=0$, $\sigma=1$.

(2) t distribution $t(n)$

$$f(x) = \frac{\Gamma(\frac{n+1}{2})}{\sqrt{n\pi}\Gamma(\frac{n}{2})} \left(1 + \frac{x^2}{n}\right)^{-\frac{n+1}{2}}$$

where n : the positive integer, i.e., degree of freedom.

(3) χ^2 distribution $\chi^2(n)$

$$f(x) = \frac{1}{2^{\frac{n}{2}}\Gamma(\frac{n}{2})} x^{\frac{n}{2}-1} e^{-\frac{x}{2}}$$

where n : the positive integer, i.e., the degree of freedom.

(4) F distribution $F(m,n)$

$$f(x) = \frac{\Gamma(\frac{m+n}{2})m^{\frac{m}{2}}n^{\frac{n}{2}}}{\Gamma(\frac{m}{2})\Gamma(\frac{n}{2})} \frac{x^{\frac{m}{2}-1}}{(mx+n)^{\frac{m+n}{2}}}, x > 0$$

$$f(x) = 0, x \leq 0$$

where m, n : the positive integers, i.e., 1st and 2nd degree of freedoms.

Known x , we can achieve the value of the probability density function $f(x)$. The probability that a random variable X takes the value less than x is $p = F(x) = P(X < x) = \int_{-\infty}^x f(x) dx$, where $F(x)$ is the cumulative distribution function, i.e., the probability p that the random variable X takes a value less than x . Known the probability p that the random variable X takes a value less than x , i.e., the cumulative distribution function value $F(x)$, we can achieve x , which is the value of the inverse cumulative distribution function (Zhang, 2025).

3 Full Codes

Full codes of the calculator are as follows:

```
<!DOCTYPE html PUBLIC "-//W3C//DTD XHTML 1.0 Transitional//EN"
"http://www.w3.org/TR/xhtml1/DTD/xhtml1-transitional.dtd">
<html xmlns="http://www.w3.org/1999/xhtml">
```

```

<head>
<meta contentType="text/html; charset=utf-8">
<meta name="description" content="probFunCal: A webpage calculator for probability distribution functions" />
<meta name="keywords" content="probability distribution functions, webpage calculator" />
<meta name="author" content="W. J. Zhang" />
<link href="../../style.css" rel="stylesheet" media="screen" type="text/css">
<title>probFunCal: A webpage calculator for probability distribution functions</title>
<!-- Google tag (gtag.js) -->
<script async src="https://www.googletagmanager.com/gtag/js?id=G-S56S6PGDYX"></script>
<script>
  window.dataLayer = window.dataLayer || [];
  function gtag(){dataLayer.push(arguments);}
  gtag('js', new Date());
  gtag('config', 'G-S56S6PGDYX');
</script>
</head>

<body>

<script language="javascript">

// Normal probability density function (PDF)
function normalPDF(x, mean, sd) {
  if (sd <= 0) {
    throw new Error("Standard error must be greater than 0");
  }
  const variance = sd * sd;
  const coefficient = 1 / Math.sqrt(2 * Math.PI * variance);
  const exponent = - Math.pow(x - mean, 2) / (2 * variance);
  return coefficient * Math.exp(exponent);
}

// Probability density function (PDF) of t-distribution
function tPDF(t, df) {
  const gamma = (a) => {
    // Approximate calculation of the gamma function
    const p = [0.99999999999980993, 676.5203681218851, -1259.1392167224028,
      771.32342877765313, -176.61502916214059, 12.507343278686905,
      -0.13857109526572012, 9.9843695780195716e-6, 1.5056327351493116e-7];
    let g = 7;
    if (a < 0.5) return Math.PI / (Math.sin(Math.PI * a) * gamma(1 - a));
    a -= 1;
    let x = p[0];
    for (let i = 1; i < p.length; i++) {
      x += p[i] / (a + i);
    }
  }
}

```

```

    }
    const t = a + g + 0.5;
    return Math.sqrt(2 * Math.PI) * Math.pow(t, a + 0.5) * Math.exp(-t) * x;
  };
  const numerator = gamma((df + 1) / 2);
  const denominator = Math.sqrt(df * Math.PI) * gamma(df / 2);
  return numerator / denominator * Math.pow(1 + (t * t) / df, -(df + 1) / 2);
}

// Probability density function (PDF) of the chi-square distribution
function chisqPDF(x, df) {
  if (x <= 0) return 0;
  return Math.pow(x, df/2 - 1) * Math.exp(-x/2) / (Math.pow(2, df/2) * gamma(df/2));
}

// Probability density function (PDF) of the F distribution
function fPDF(x, d1, d2) {
  if (x < 0 || d1 <= 0 || d2 <= 0) {
    return 0;
  }
  if (x === 0) {
    if (d1 < 2) return Infinity;
    if (d1 === 2) return 1;
    return 0;
  }
  const betaPart = betaFunction(d1 / 2, d2 / 2);
  const numerator = Math.pow(d1 * x, d1) * Math.pow(d2, d2);
  const denominator = Math.pow(d1 * x + d2, d1 + d2);
  const mainPart = Math.sqrt(numerator / denominator);
  const pdf = mainPart / (x * betaPart);
  return pdf;
}

function betaFunction(a, b) {
  return Math.exp(logGamma(a) + logGamma(b) - logGamma(a + b));
}

function logGamma(z) {
  const g = 7;
  const p = [
    0.9999999999999999, 676.5203681218851, -1259.1392167224028,
    771.32342877765313, -176.61502916214059, 12.507343278686905,
    -0.13857109526572012, 9.9843695780195716e-6, 1.5056327351493116e-7
  ];
  if (z < 0.5) {

```

```

        return Math.log(Math.PI) - Math.log(Math.sin(Math.PI * z)) - logGamma(1 - z);
    }
    z -= 1;
    let x = p[0];
    for (let i = 1; i < p.length; i++) {
        x += p[i] / (z + i);
    }
    const t = z + g + 0.5;
    return 0.5 * Math.log(2 * Math.PI) + (z + 0.5) * Math.log(t) - t + Math.log(x);
}

```

// Cumulative distribution function (CDF) of the standard normal distribution

```

function normalCDF(z) {
    // function pnorm(x)
    // function normCDF(x)
    // function normCdf(x)
    // Hastings approximation
    const a1 = 0.254829592;
    const a2 = -0.284496736;
    const a3 = 1.421413741;
    const a4 = -1.453152027;
    const a5 = 1.061405429;
    const p = 0.3275911;
    const sign = z < 0 ? -1 : 1;
    z = Math.abs(z) / Math.sqrt(2.0);
    const t = 1.0 / (1.0 + p * z);
    const y = 1.0 - (((a5 * t + a4) * t + a3) * t + a2) * t + a1) * t * Math.exp(-z * z);
    return 0.5 * (1.0 + sign * y);
}

```

/*

// Cumulative distribution function (CDF) of the standard normal distribution

```

function normalCDF(x) {
    // Standard normal cumulative distribution function
    return jStat.normal.cdf(x, 0, 1);
}
*/

```

// Cumulative distribution function (CDF) of the t-distribution

```

function tCDF(x, df) {
    if (df <= 0) {
        throw new Error("Degrees of freedom must be greater than 0");
    }
    // Define the probability density function (PDF) of the t-distribution
    // Simpson's rule for numerical integration

```

```

function simpson(f, a, b, n) {
  if (n % 2 !== 0) throw new Error("n must be even");
  const h = (b - a) / n;
  let sum = f(a) + f(b);
  for (let i = 1; i < n; i++) {
    const x = a + i * h;
    sum += f(x) * (i % 2 === 0 ? 2 : 4);
  }
  return sum * h / 3;
}

// Compute the CDF of the t-distribution
const lowerLimit = -100; // Approximately negative infinity
const upperLimit = x;
const n = 1000; // Number of divisions of the integration interval
return simpson(t => tPDF(t, df), lowerLimit, upperLimit, n);
}

// Cumulative distribution function (CDF) of the chi-squared distribution
function chisqCDF(x, df, lowerTail = true) {
  if (x <= 0) return lowerTail ? 0 : 1;
  // Wilson-Hilferty transformation
  const mu = 1 - 2/(9 * df);
  const sigma = Math.sqrt(2/(9 * df));
  const z = (Math.pow(x/df, 1/3) - mu) / sigma;
  const p = normalCDF(z);
  return lowerTail ? p : 1 - p;
}

/*
// Cumulative distribution function (CDF) of the chi-squared distribution
function chisqCDF(x, df, lowerTail = true) {
  if (lowerTail) {
    return jStat.chisquare.cdf(x, df);
  } else {
    return 1 - jStat.chisquare.cdf(x, df);
  }
}

*/

// Cumulative distribution function (CDF) of F distribution
function fCDF(x, d1, d2) {
  if (x < 0) return 0;
  if (x === 0) return 0;
  if (!isFinite(x)) return 1;
  if (d1 <= 0 || d2 <= 0) return NaN;

```

```

    const y = d1 * x / (d1 * x + d2);
    return regularizedBeta(y, d1 / 2, d2 / 2);
}

function regularizedBeta(x, a, b) {
    if (x < 0 || x > 1) return NaN;
    if (x === 0) return 0;
    if (x === 1) return 1;
    if (a <= 0 || b <= 0) return NaN;
    const eps = 1e-12;
    const maxIter = 10000;
    const logBeta = logGamma(a + b) - logGamma(a) - logGamma(b) +
        a * Math.log(x) + b * Math.log1p(-x);
    if (x < (a + 1) / (a + b + 2)) {
        const cf = continuedFraction(x, a, b, eps, maxIter);
        return Math.exp(logBeta) * cf / a;
    } else {
        const cf = continuedFraction(1 - x, b, a, eps, maxIter);
        return 1 - Math.exp(logBeta) * cf / b;
    }
}

```

```

function continuedFraction(x, a, b, eps, maxIter) {
    let f = 1, c = 1, d = 0;
    let m = 0;
    do {
        m++;
        const _2m = 2 * m;
        const _2m1 = 2 * m - 1;
        const numerator = m * (b - m) * x;
        const denominator1 = (a + _2m1) * (a + _2m);
        const denominator2 = (a + _2m) * (a + _2m1);
        d = 1 + numerator / denominator1 * d;
        if (Math.abs(d) < eps) d = eps;
        d = 1 / d;
        c = 1 + numerator / denominator2 * c;
        if (Math.abs(c) < eps) c = eps;
        const delta = d * c;
        f *= delta;
        if (m > maxIter) {
            console.warn('Maximum iterations achieved');
            break;
        }
    } while (Math.abs(f - 1) >= eps);
    return f;
}

```

```
}

```

```
// Inverse normal CDF approximation

```

```
function normalQuantile(p) {
  // Acklam's inverse normal CDF approximation
  // precision 1.15e-9
  if (p <= 0 || p >= 1) {
    throw new Error("p must be in (0, 1)");
  }
  const a1 = -3.969683028665376e+01;
  const a2 = 2.209460984245205e+02;
  const a3 = -2.759285104469687e+02;
  const a4 = 1.383577518672690e+02;
  const a5 = -3.066479806614716e+01;
  const a6 = 2.506628277459239e+00;
  const b1 = -5.447609879822406e+01;
  const b2 = 1.615858368580409e+02;
  const b3 = -1.556989798598866e+02;
  const b4 = 6.680131188771972e+01;
  const b5 = -1.328068155288572e+01;
  const c1 = -7.784894002430293e-03;
  const c2 = -3.223964580411365e-01;
  const c3 = -2.400758277161838e+00;
  const c4 = -2.549732539343734e+00;
  const c5 = 4.374664141464968e+00;
  const c6 = 2.938163982698783e+00;
  const d1 = 7.784695709041462e-03;
  const d2 = 3.224671290700398e-01;
  const d3 = 2.445134137142996e+00;
  const d4 = 3.754408661907416e+00;
  let q, r;
  if (p < 0.02425) {
    // Rational approximation for lower region
    q = Math.sqrt(-2 * Math.log(p));
    return (((((c1 * q + c2) * q + c3) * q + c4) * q + c5) * q + c6) /
      (((d1 * q + d2) * q + d3) * q + d4) * q + 1);
  } else if (p > 0.97575) {
    // Rational approximation for upper region
    q = Math.sqrt(-2 * Math.log(1 - p));
    return -((((c1 * q + c2) * q + c3) * q + c4) * q + c5) * q + c6) /
      (((d1 * q + d2) * q + d3) * q + d4) * q + 1);
  } else {
    // Rational approximation for central region
    q = p - 0.5;
    r = q * q;

```

```

        return (((((a1 * r + a2) * r + a3) * r + a4) * r + a5) * r + a6) * q /
                (((((b1 * r + b2) * r + b3) * r + b4) * r + b5) * r + 1);
    }
}

/*
// Inverse normal CDF approximation
function normalQuantile(p) {
    // Inverse of the standard normal cumulative distribution function
    // This can be implemented using an approximation or a library like jStat
    return jStat.normal.inv(p, 0, 1);
}
*/

// Inverse t-distribution CDF approximation
function tQuantile(p, df) {
    if (p <= 0 || p >= 1 || df <= 0) {
        throw new Error("Invalid input: p must be between 0 and 1, and df must be positive.");
    }
    // Approximate quantiles of a t-distribution using Hill's algorithm; inverse t-distribution CDF approximation
    function hillApprox(p, df) {
        const a = (1 / (df - 0.5)) - 1;
        const b = 48 / (a * a);
        const c = ((20700 * a / b - 98) * a - 16) * a + 96.36;
        const d = ((94.5 / (b + c) - 3) / b + 1) * Math.sqrt(a * Math.PI / 2) * df;
        const x = d * p;
        const y = Math.pow(x, 2 / df);
        if (y > 0.05 + a) {
            return x;
        } else {
            // Further optimization using the Newton-Raphson method
            let q = p - 0.5;
            let r = q * q;
            let z = q * (((-25.44106049637 * r + 41.39119773534) * r - 18.61500062529) * r + 2.50662823884) /
                (((3.13082909833 * r - 21.06224101826) * r + 23.08336743743) * r - 8.4735109309) * r + 1);
            z = z * Math.sqrt(df / (df + z * z));
            return z;
        }
    }
    return hillApprox(p, df);
}

// Gamma function
function gamma(x) {
    // Lanczos approximation

```

```

const p = [
  0.9999999999980993, 676.5203681218851, -1259.1392167224028,
  771.32342877765313, -176.61502916214059, 12.507343278686905,
  -0.13857109526572012, 9.9843695780195716e-6, 1.5056327351493116e-7
];
if (x < 0.5) {
  return Math.PI / (Math.sin(Math.PI * x) * gamma(1 - x));
}
x -= 1;
let t = p[0];
for (let i = 1; i < p.length; i++) {
  t += p[i] / (x + i);
}
const w = x + p.length - 1.5;
return Math.sqrt(2 * Math.PI) * Math.pow(w, x + 0.5) * Math.exp(-w) * t;
}

```

```

function qchisq_WilsonHilferty(p, df) {
  const z = normalQuantile(p); // Standard normal distribution quantile
  const h = 2/(9 * df);
  const approx = df * Math.pow(z * Math.sqrt(h) + 1 - h, 3);
  return Math.max(0, approx);
}

```

```

function qchisq_NewtonRaphson(p, df, maxIter = 100, tol = 1e-8) {
  // Initial guess (using the Wilson-Hilferty approximation as a starting point)
  let x = Math.max(0.1, qchisq_WilsonHilferty(p, df));
  for (let i = 0; i < maxIter; i++) {
    const fx = chisqCDF(x, df) - p;
    if (Math.abs(fx) < tol) return x;
    // PDF of the chi-square distribution (for derivatives)
    const fpx = chisqPDF(x, df);
    if (fpx == 0) break; // Avoid division by zero
    x = x - fx / fpx;
    x = Math.max(x, 0); // Keep non-negative
  }
  return x;
}

```

```

// Quantile function (inverse CDF) of the chi-squared distribution
function chisqQuantile(p, df) {
  if (p < 0 || p > 1) return NaN;
  if (df <= 0) return NaN;
  // Use Wilson-Hilferty approximation for large degrees of freedom
  if (df > 30) {

```

```

    return qchisq_WilsonHilferty(p, df);
}
// Use Newton-Raphson iteration for small degrees of freedom
return qchisq_NewtonRaphson(p, df);
}

// Quantile function (inverse CDF) of F distribution
function fQuantile(p, d1, d2, tol = 1e-12, maxIter = 1000) {
    if (p < 0 || p > 1 || d1 <= 0 || d2 <= 0) {
        return NaN;
    }
    if (p === 0) return 0;
    if (p === 1) return Infinity;
    const y = inverseRegularizedBeta(p, d1/2, d2/2, tol, maxIter);
    return (y * d2) / (d1 * (1 - y));
}

function inverseRegularizedBeta(p, a, b, tol, maxIter) {
    let x = (a < 1 && b < 1) ? 0.5 :
        (a < 1) ? 0.25 :
        (b < 1) ? 0.75 :
        a / (a + b);
    let iter = 0;
    let delta = 0;
    do {
        const f = regularizedBeta(x, a, b) - p;
        const pdf = Math.exp(
            (a - 1) * Math.log(x) +
            (b - 1) * Math.log1p(-x) -
            logBeta(a, b)
        );
        delta = f / pdf;
        x -= delta;
        if (x <= 0) x = tol;
        if (x >= 1) x = 1 - tol;
        iter++;
    } while (Math.abs(delta) > tol && iter < maxIter);
    if (iter >= maxIter) {
        console.warn('Maximum iterations achieved');
    }
    return x;
}

function logBeta(a, b) {
    return logGamma(a) + logGamma(b) - logGamma(a + b);
}

```

```
}
```

```
function runnormpdf() {  
var miu=document.formnormpdf.miu.value;  
var sigma=document.formnormpdf.sigma.value;  
var x=document.formnormpdf.x.value;  
var fx=normalPDF(x,miu,sigma);  
var str=String(fx);  
document.formnormpdf.textnormoutpdf.value=str;  
}
```

```
function runnormcdf() {  
var x=document.formnormcdf.x.value;  
var p=normalCDF(x);  
var str=String(p);  
document.formnormcdf.textnormoutcdf.value=str;  
}
```

```
function runnorminv() {  
var p=document.formnorminv.p.value;  
var x=normalQuantile(p);  
var str=String(x);  
document.formnorminv.textnormoutinv.value=str;  
}
```

```
function runtpdf() {  
var x=document.formtpdf.x.value;  
var n=parseInt(document.formtpdf.n.value);  
var fx=tPDF(x,n);  
var str=String(fx);  
document.formtpdf.texttoutpdf.value=str;  
}
```

```
function runtcd() {  
var x=document.formtcd.x.value;  
var n=parseInt(document.formtcd.n.value);  
var p=tCDF(x,n);  
var str=String(p);  
document.formtcd.texttoutcdf.value=str;  
}
```

```
function runtinv() {  
var p=document.formtin.p.value;  
var n=parseInt(document.formtin.n.value);  
var x=tQuantile(p,n);
```

```
var str=String(x);
document.formtinvt.txttoutinv.value=str;
}
```

```
function runchipdf() {
var x=document.formchipdf.x.value;
var n=parseInt(document.formchipdf.n.value);
var fx=chisqPDF(x, n);
var str=String(fx);
document.formchipdf.txtchioutpdf.value=str;
}
```

```
function runchicdf() {
var x=document.formchicdf.x.value;
var n=parseInt(document.formchicdf.n.value);
var p=chisqCDF(x,n);
var str=String(p);
document.formchicdf.txtchioutcdf.value=str;
}
```

```
function runchiinv() {
var p=document.formchiinv.p.value;
var n=parseInt(document.formchiinv.n.value);
var x=chisqQuantile(p,n);
var str=String(x);
document.formchiinv.txtchioutinv.value=str;
}
```

```
function runfpdf() {
var x=document.formfpdf.x.value;
var m=parseInt(document.formfpdf.m.value);
var n=parseInt(document.formfpdf.n.value);
var fx=fPDF(x,m,n);
var str=String(fx);
document.formfpdf.txtfoutpdf.value=str;
}
```

```
function runfcdf() {
var x=document.formfcdf.x.value;
var m=parseInt(document.formfcdf.m.value);
var n=parseInt(document.formfcdf.n.value);
var p=fCDF(x,m,n);
var str=String(p);
document.formfcdf.txtfoutcdf.value=str;
}
```

```
function runfinv() {
var p=document.formfinv.p.value;
var m=parseInt(document.formfinv.m.value);
var n=parseInt(document.formfinv.n.value);
var x=fQuantile(p,m,n);
var str=String(x);
document.formfinv.textfoutinv.value=str;
}
```

```
</script>
```

```
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<div align=center><b><h3>probFunCal: A webpage calculator for probability distribution functions</h3></b></div>
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<div align=center><b><h4>By W. J. Zhang</h4></b></div>
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<br>The user manual guide and suggested citation of this page:
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href="http://www.iaees.org/publications/journals/selforganizology/articles/2026-13(1-2)/probFunCal-for-probability-distribution-
functions.pdf">Zhang W. J. 2026. probFunCal: A webpage calculator for probability distribution functions. Selforganizology,
13(1-2): 1-25</a></b>
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<br>Also, click <a
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href="http://www.iaees.org/publications/journals/selforganizology/articles/2026-13(1-2)/1-Zhang-Abstract.asp"><b>here</b></a>
to download the corresponding offline calculator.
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<ul>
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```
<li><a href="#npdf">Normal Distribution: Density Function</a></li>
```

```
<li><a href="#ncdf">Standard Normal Distribution: Cumulative Distribution Function</a></li>
```

Standard Normal Distribution: Inverse Cumulative Distribution Function

<i>t</i> Distribution: Density Function

<i>t</i> Distribution: Cumulative Distribution Function

<i>t</i> Distribution: Inverse Cumulative Distribution Function

<i> χ^2 </i> Distribution: Density Function

<i> χ^2 </i> Distribution: Cumulative Distribution Function

<i> χ^2 </i> Distribution: Inverse Cumulative Distribution Function

<i>F</i> Distribution: Density Function

<i>F</i> Distribution: Cumulative Distribution Function

<i>F</i> Distribution: Inverse Cumulative Distribution Function

<hr color=maroon size="2px">

<div id="npdf">Normal Distribution: Density Function</div>

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Mean (<i> μ </i>): <input type="text" name="miu" value="">

Standard deviation (<i> σ </i>): <input type="text" name="sigma" value="">

Random variable (<i>x</i>): <input type="text" name="x" value="">

<input type="button" name="buttonnormpdf" value="Run" style="width:100px;" onClick="runnormpdf()">

Probability density <i>f</i>(<i>x</i>):

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</form>

User manual guide:

Zhang W. J. 2026. probFunCal: A webpage calculator for probability distribution functions. Selforganizology,

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[illegible]

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Fig. 1 probFunCal.

References

- Zhang WJ. 2025. probTable: A Matlab calculator for lookuping probability tables. *Selforganizology*, 12(3-4): 21-29.
[http://www.iaees.org/publications/journals/selforganizology/articles/2025-12\(3-4\)/1-Zhang-Abstract.asp](http://www.iaees.org/publications/journals/selforganizology/articles/2025-12(3-4)/1-Zhang-Abstract.asp)
- Zhang WJ, Qi YH. 2025. probDistriCal: The online calculator for probability distributions. *Computational Ecology and Software*, 15(2): 57-77.
[http://www.iaees.org/publications/journals/ces/articles/2025-15\(2\)/3-Zhang-Abstract.asp](http://www.iaees.org/publications/journals/ces/articles/2025-15(2)/3-Zhang-Abstract.asp)